

Code analysis  
*and*  
transformation



Simone Campanoni  
simone.campanoni@northwestern.edu

# Constant Optimizations



# Outline

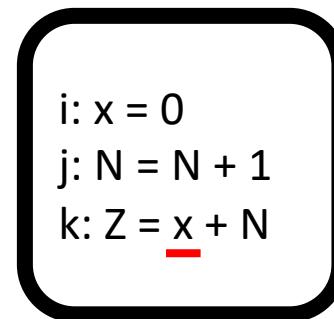
- Constant propagation
- Constant folding
- Algebraic simplification

# Constant propagation: problem definition

Given a program, we would like to know for every point in that program, which variables have constant values, and which ones do not.

A variable has a constant value at a certain point in the CFG if every execution that reaches that point sees that variable holding the same constant value.

*We are now going to implement constant propagation automatically and by relying only on reaching definition*



```
i: x = 0  
j: N = N + 1  
k: Z = x + N
```

# Reaching definition summary

- Reaching definition data-flow analysis computes  $IN[i]$  and  $OUT[i]$  for every instruction  $i$
- $IN[i]$  ( $OUT[i]$ ) includes definitions that reach just before (just after) instruction  $i$
- Each  $IN/OUT$  set contains a mapping for every variable in the program to a “value”

# Constant propagation

- For a use of variable  $v$  by instruction  $n$

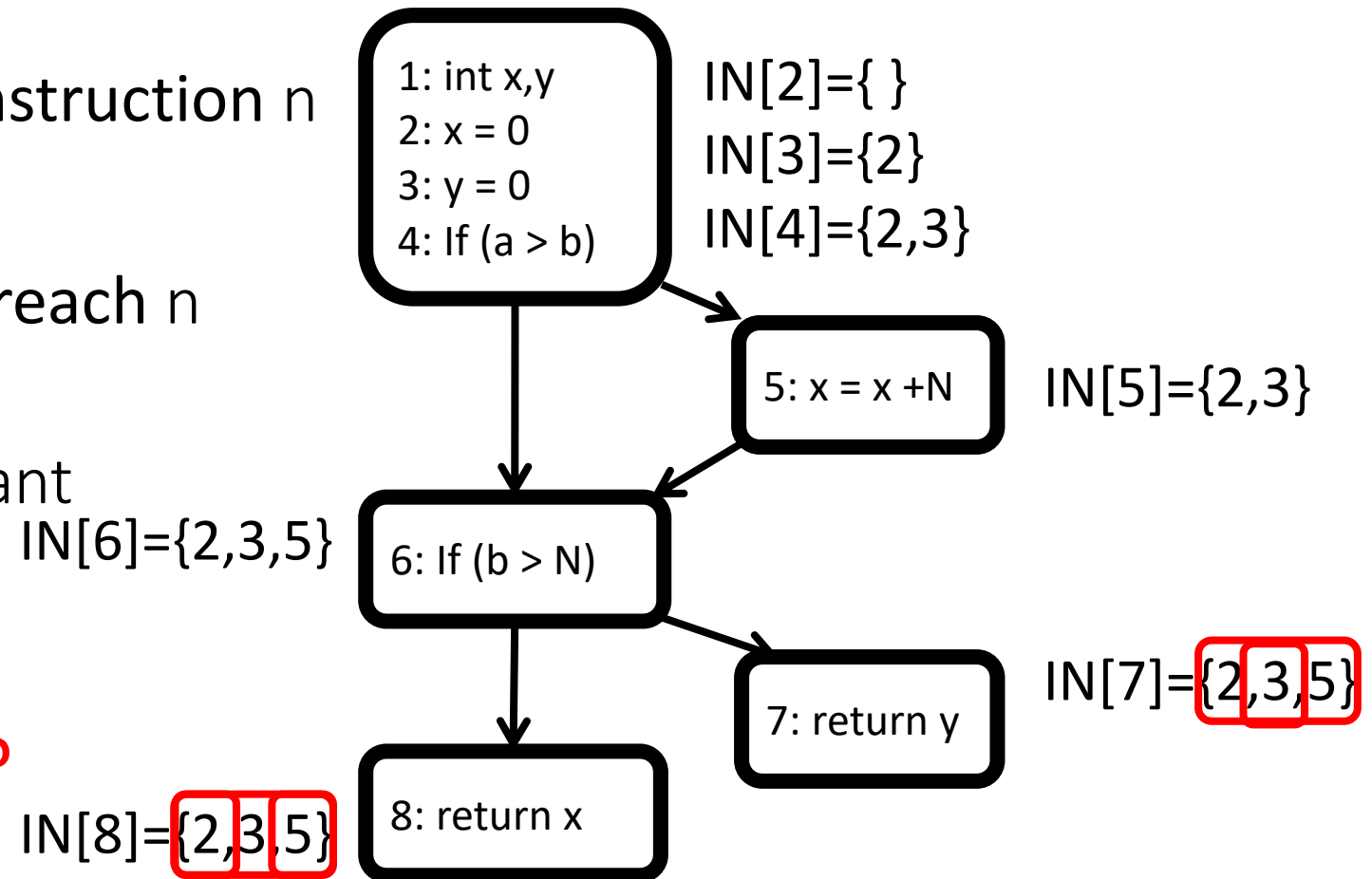
$n: x = \dots v \dots$

- If the definitions of  $v$  that reach  $n$  are all of the form

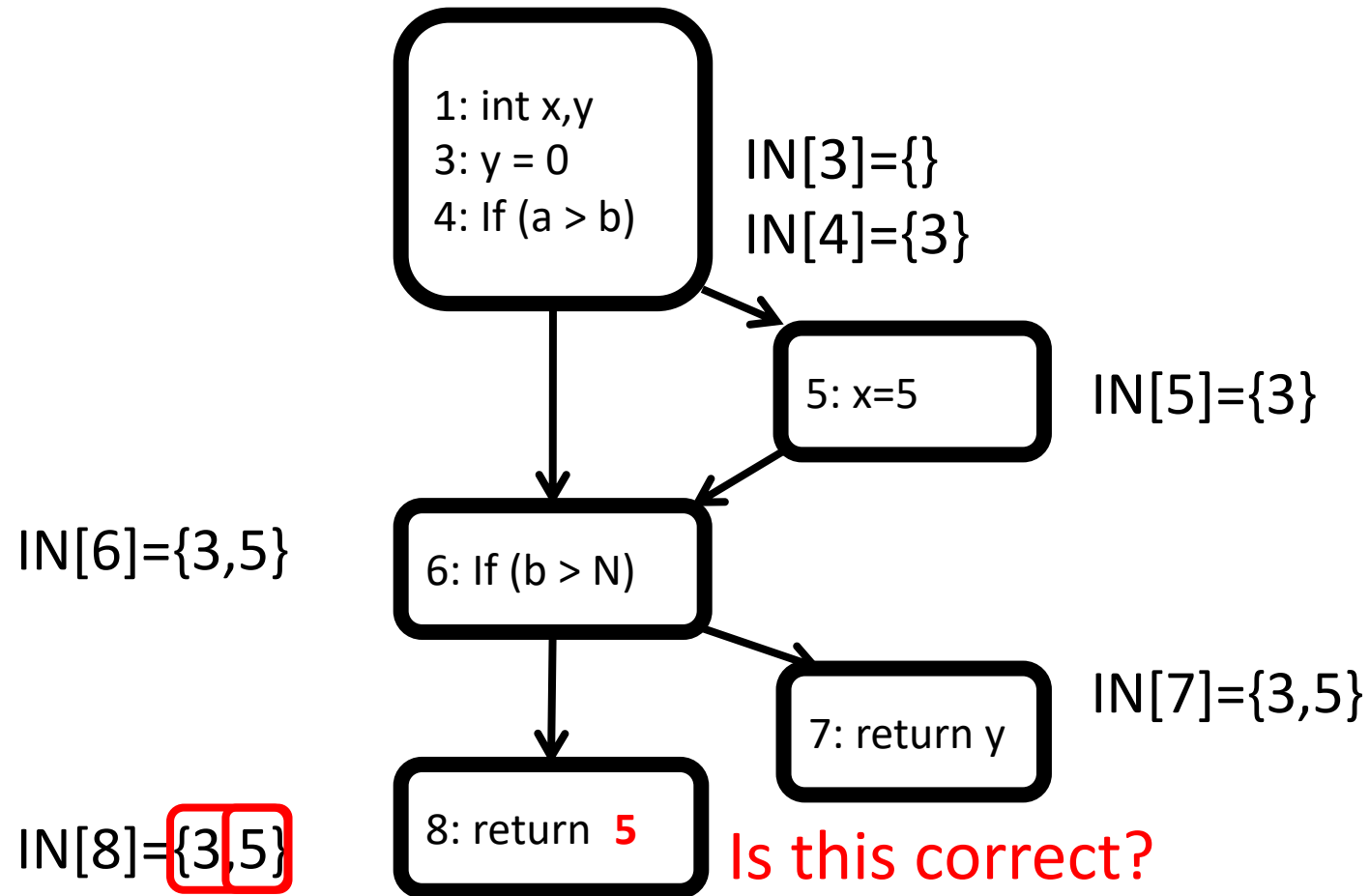
$d: v = c$  //  $c$  is a generic constant

- then replace the uses of  $v$  in  $n$  with  $c$

Do you see any problem?



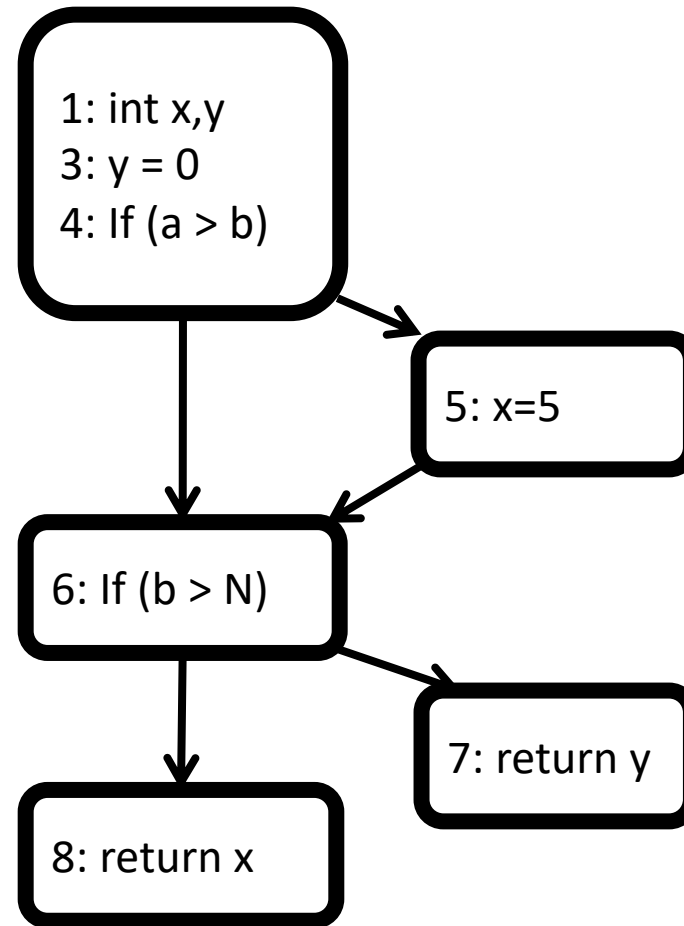
# Constant propagation problem?



# Undefined behavior: a funny interpretation

- **Undefined behavior** is the result of executing a program whose behavior is unpredictable
- Undefined behavior results in whatever compilers want the program being compiled to do *even to make demons fly out of your nose*
  - Undefined behavior is often referred to as *nasal demons*

# Constant propagation problem?



Better solutions?

- Customize reaching definitions
- New analysis



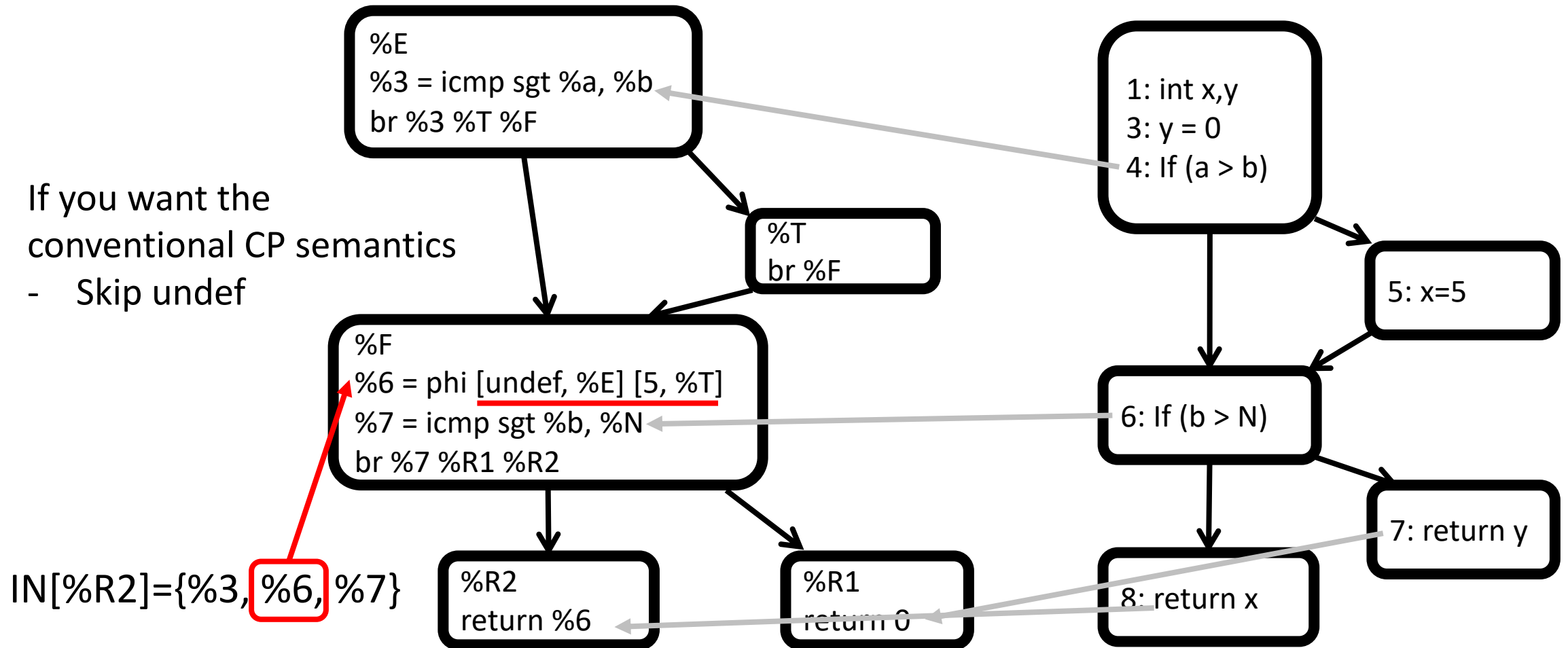
# Constant propagation for CAT

- Undefined values enable optimizations
- What about in the CAT language?
- `CATData CAT_new (int64_t value);`

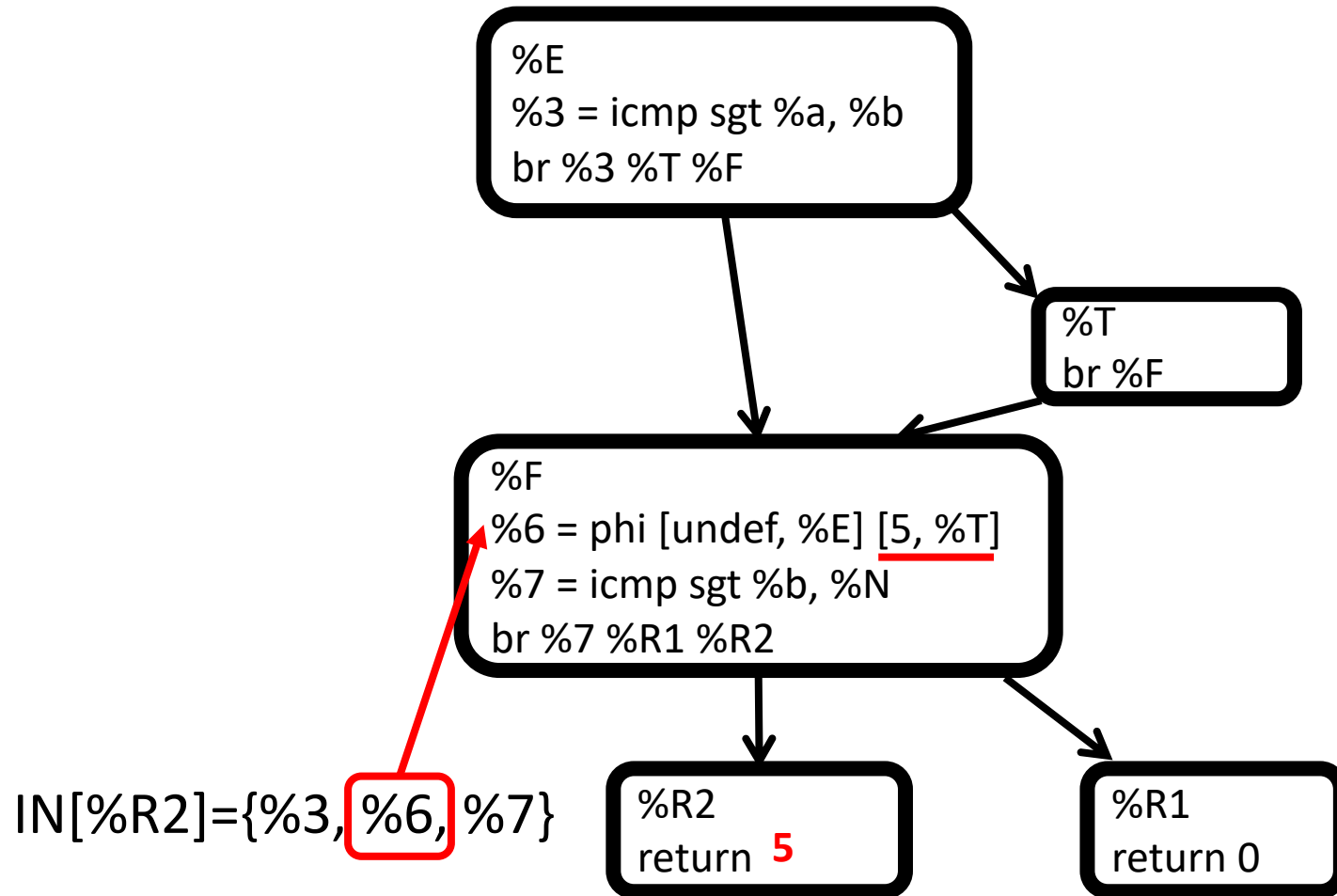
# SSA simplifies transformations

- We learned constant propagation that relies on reaching definition
  - This transformation is correct for both SSA and non-SSA IRs
- Can we have a faster constant propagation for SSA IRs?
  - Yes
  - Let's first apply the previous constant propagation to an SSA IR to understand how to make it faster

# Constant propagation in SSA (in LLVM)



# (Unnecessary thanks to SSA) Constant propagation in SSA (in LLVM)



# Outline

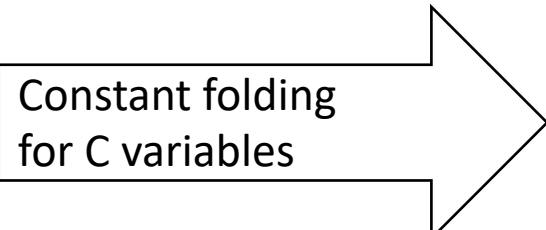
- Constant propagation
- Constant folding
- Algebraic simplification

# Constant folding

## Definition:

This transformation evaluates constant expressions at compile time so they do not need to be computed at runtime

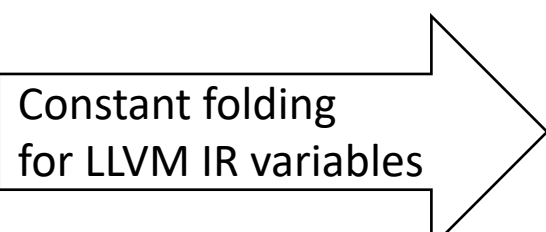
```
int a = 3 + 2;  
myF(a);
```



Constant folding  
for C variables

```
int a = 5;  
myF(a);
```

```
%a = add 3, 2  
call @myF(%a)
```



Constant folding  
for LLVM IR variables

```
call @myF(5)
```

# Outline

- Constant propagation
- Constant folding
- Algebraic simplification

# Algebraic simplification

- **Definition:**

Algebraic simplification uses algebraic properties of operators or particular operand combinations to simplify expressions

- **Example:**

`int b = a + 0;`



Algebraic  
simplification

`int b = a;`

`%b = add a, 0`  
`call @myF(%b)`



Algebraic  
simplification

`call @myF(%a)`



# Algebraic simplification

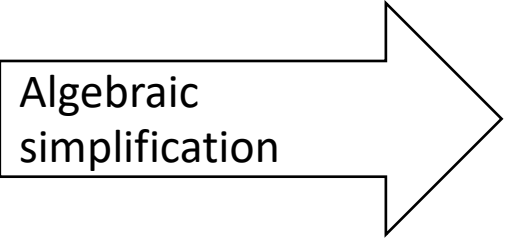
- **Definition:**

Algebraic simplification uses algebraic properties of operators or particular operand combinations to simplify expressions

- **Example:**

`int b = a * 1;`

Algebraic  
simplification



`int b = a;`

`%b = mul a, 1  
call @myF(%b)`

Algebraic  
simplification

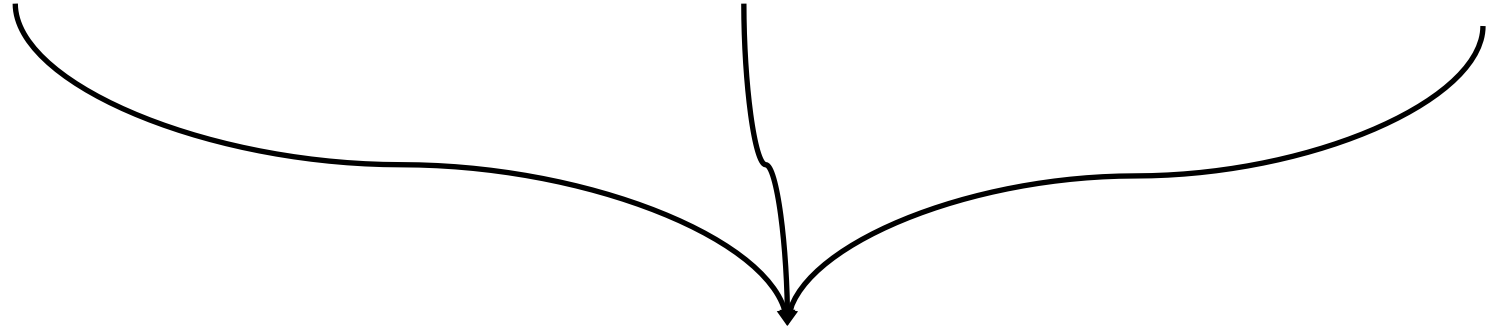


`call @myF(%a)`

Constant propagation

Constant folding

Algebraic simplification



Constant Optimizations

Always have faith in your ability

Success will come your way eventually

**Best of luck!**