

Throw(person, x) ?



Weight(x) < 50lbs ^
Max_dim(x) < 20ft ^ ... ^
=>Throw(person, x)

Weight(baseball) = 5oz ^.... =>
Throw(person, baseball)

"throwable objects such as"

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[Patent US5984812 - Grippable surface for throwable object - Google ...](#)
www.google.com/patents/US5984812

This invention relates to a grippable surface for **throwable objects such as** a football, baseball, etc. which enhances the ease with which the object may be ...

[\[PDF\] Name Juggle.pdf - GOAL Consulting](#)

www.goalconsulting.org/page3/files/Name%20Juggle.pdf ▾

Materials: Many soft **throwable objects such as** fleece balls, wadded up pieces of paper, Nerf™ balls. Level: Grades K and higher. Suggested Procedure. 1.

Cities such as **X**

Y, mayor of **X**

- The Web makes hard AI problems easier
- ...but

Understanding Language is Hard

Michael Bloomberg, mayor of **New York City**, was born in ...

Eric Johnson, CEO of **Texas Instruments**, mayor of **Dallas** from 1964-1971, and ...

Redundancy enables Information Extraction

Michael Bloomberg, mayor of New York City, was born in ...

Announced by Michael Bloomberg, the mayor of New York City...

Michael Bloomberg, mayor of New York City, stated that...

...+10,000s more

Eric Johnson, CEO of Texas Instruments, mayor of Dallas from 1964-1971, and ...

(only once)



Mayor	City	p
Michael Bloomberg	New York City	0.99
Texas Instruments	Dallas	0.05
...

[Downey et al., AIJ 2010]

Redundancy: Single Pattern

Consider a single pattern suggesting C , e.g.,

countries such as x

If an extraction x appears k times in a set of n distinct occurrences of the pattern, what is the probability that $x \in C$?

Redundancy: Single Pattern

C = Country

n = 10 occurrences

“...countries such as **Saudi Arabia...**”

“...countries such as the **United States...**”

“...countries such as **Saudi Arabia...**”

“...countries such as **Japan...**”

“...countries such as **Africa...**”

“...countries such as **Japan...**”

“...countries such as the **United Kingdom...**”

“...countries such as **Iraq...**”

“...countries such as **Afghanistan...**”

“...countries such as **Australia...**”

Naïve Model: Noisy-Or

$C =$ Country

$n = 10$

	k	$P_{\text{noisy-or}}$
Saudi Arabia	2	0.99
Japan	2	0.99
United States	1	0.9
Africa	1	0.9
United Kingdom	1	0.9
Iraq	1	0.9
Afghanistan	1	0.9
Australia	1	0.9

[Agichtein & Gravano, 2000; Lin et al. 2003]

$$P_{\text{noisy-or}}(x \in C \mid x \text{ seen } k \text{ times})$$

$$= 1 - (1 - p)^k$$

p = probability pattern yields a correct extraction, i.e.,

$$p = 0.9$$

Noisy-or ignores:

- Sample size (n)
- Distribution of C

Needed in Model: Sample Size

$C = \text{Country}$

$n = 10$

	k	$P_{\text{noisy-or}}$
Saudi Arabia	2	0.99
Japan	2	0.99
United States	1	0.9
Africa	1	0.9
United Kingdom	1	0.9
Iraq	1	0.9
Afghanistan	1	0.9
Australia	1	0.9

$C = \text{Country}$

$n \sim 50,000$

	k	$P_{\text{noisy-or}}$
United States	3899	0.9999...
China	1999	0.9999...
...		
OilWatch Africa	1	0.9
Religion Paraguay	1	0.9
Chicken Mole	1	0.9
Republics of Kenya	1	0.9
Atlantic Ocean	1	0.9

As sample size increases, noisy-or becomes inaccurate.

Needed in Model: Distribution of C

$C = \text{Country}$

$n \sim 50,000$

	k	$P_{\text{noisy-or}}$
United States	3899	0.9999...
China	1999	0.9999...
...		
OilWatch Africa	1	0.9
Religion Paraguay	1	0.9
Chicken Mole	1	0.9
Republics of Kenya	1	0.9
Atlantic Ocean	1	0.9

$$P_{\text{freq}}(x \in C \mid x \text{ seen } k \text{ times})$$

$$= 1 - (1 - p)^{\alpha k/n}$$



Needed in Model: Distribution of C

$C = \text{Country}$

$n \sim 50,000$

	k	P_{freq}
United States	3899	0.9999...
China	1999	0.9999...
...		
OilWatch Africa	1	0.05
Religion Paraguay	1	0.05
Chicken Mole	1	0.05
Republics of Kenya	1	0.05
Atlantic Ocean	1	0.05

$$P_{\text{freq}}(x \in C \mid x \text{ seen } k \text{ times})$$

$$= 1 - (1 - p)^{ak/n}$$



Needed in Model: Distribution of C

$C = \text{Country}$

$n \sim 50,000$

	k	P_{freq}
United States	3899	0.9999...
China	1999	0.9999...
...		
OilWatch Africa	1	0.05
Religion Paraguay	1	0.05
Chicken Mole	1	0.05
Republics of Kenya	1	0.05
Atlantic Ocean	1	0.05

$C = \text{City}$

$n \sim 50,000$

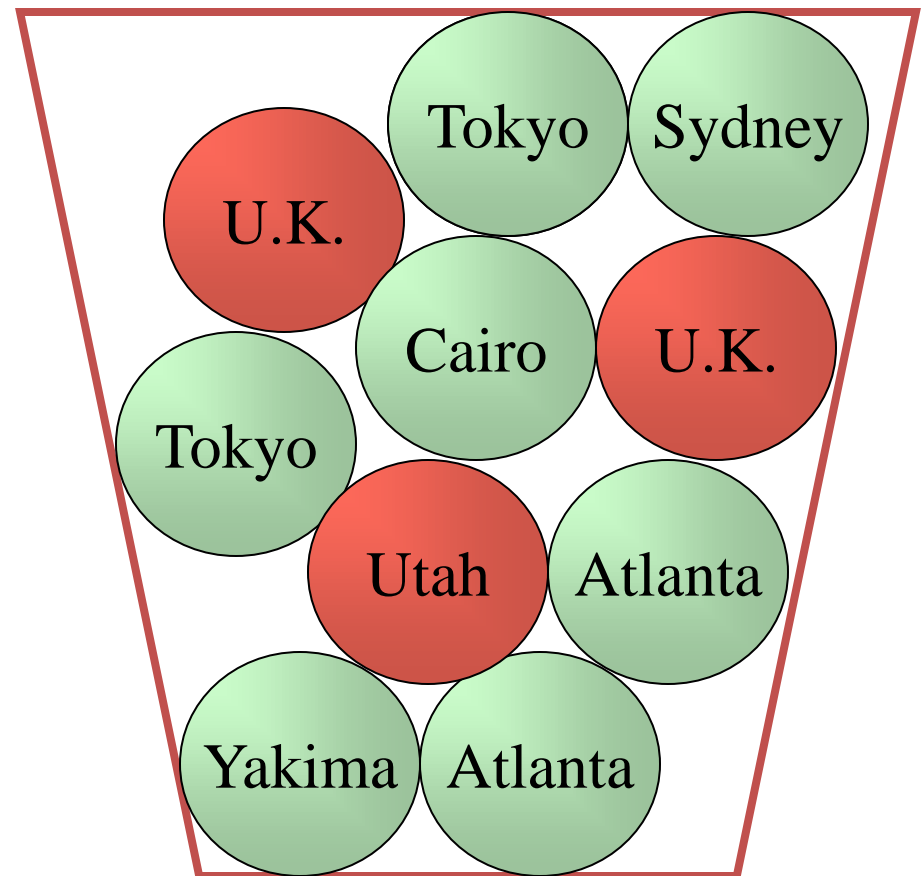
	k	P_{freq}
New York	1488	0.9999...
Chicago	999	0.9999...
...		
El Estor	1	0.05
Nikki	1	0.05
Ragaz	1	0.05
Villegas	1	0.05
Northeastwards	1	0.05

Probability $x \in C$ depends on the distribution of C .

Solution: URNS Model

Urn for **C** = **C**ity

...cities such as Tokyo...



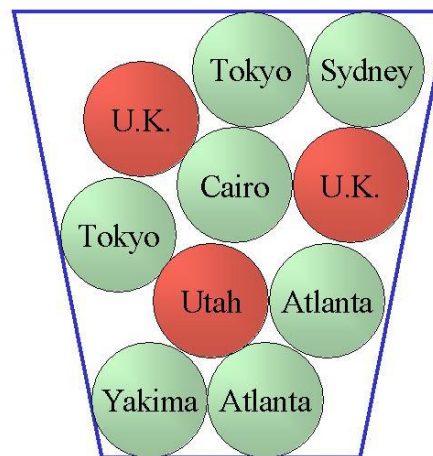
Urn – Formal Definition

C – set of unique target labels

E – set of unique error labels

$num(C)$ – distribution of target labels

$num(E)$ – distribution of error labels



Urn Example

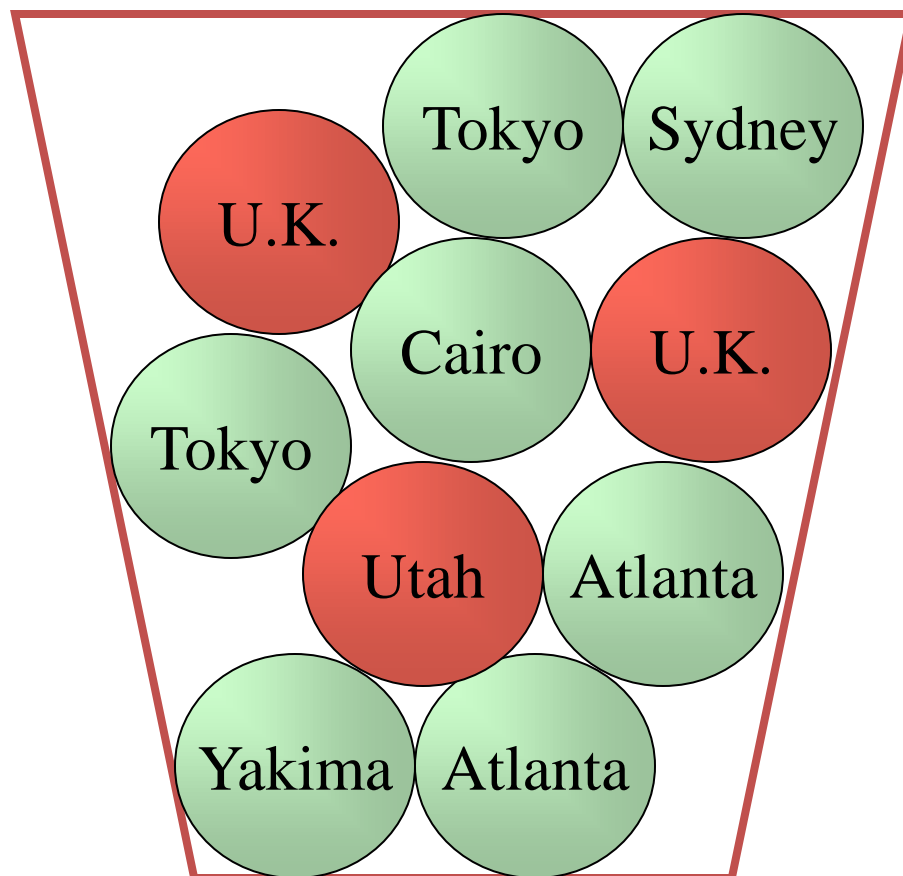
Urn for $C = \text{City}$

distribution of target labels:

$$\text{num}(C) = \{2, 2, 1, 1, 1\}$$

distribution of error labels:

$$\text{num}(E) = \{2, 1\}$$



Computing Probabilities

If an extraction x appears k times in a set of n distinct occurrences of the pattern, what is the probability that $x \in C$?

Computing Probabilities

Given that an extraction x appears k times in n draws from the urn (with replacement), what is the probability that $x \in C$?

$$P(x \in C | x \text{ appears } k \text{ times in } n \text{ draws}) = \frac{\sum_{r \in \text{num}(C)} \left(\frac{r}{s}\right)^k \left(1 - \frac{r}{s}\right)^{n-k}}{\sum_{r' \in \text{num}(C \cup E)} \left(\frac{r'}{s}\right)^k \left(1 - \frac{r'}{s}\right)^{n-k}}$$

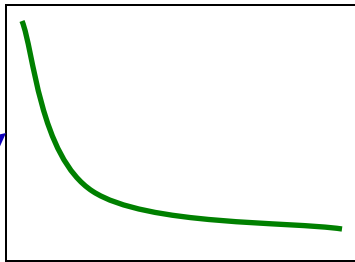
where s is the total number of balls in the urn

URNS without labeled data

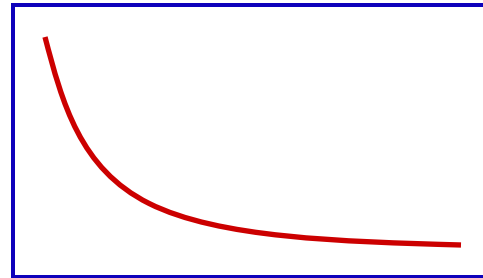
- Needed: $num(C)$, $num(E)$
- Assumed to be Zipf
 - Frequency of i th element $\propto i^{-z}$
- With assumptions, learn Zipfian parameters for any class C from **unlabeled** data alone

URNS without labeled data

C Zipf



E Zipf



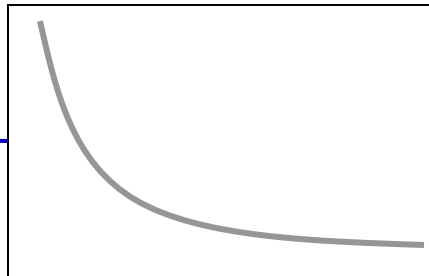
Learn $num(C)$ from unlabeled data!

p

$1 - p$

Constant across C

Constant across C , for a given pattern



Observed frequency distribution

Probabilities Assigned by URNS

$C = \text{Country}$

$n \sim 50,000$

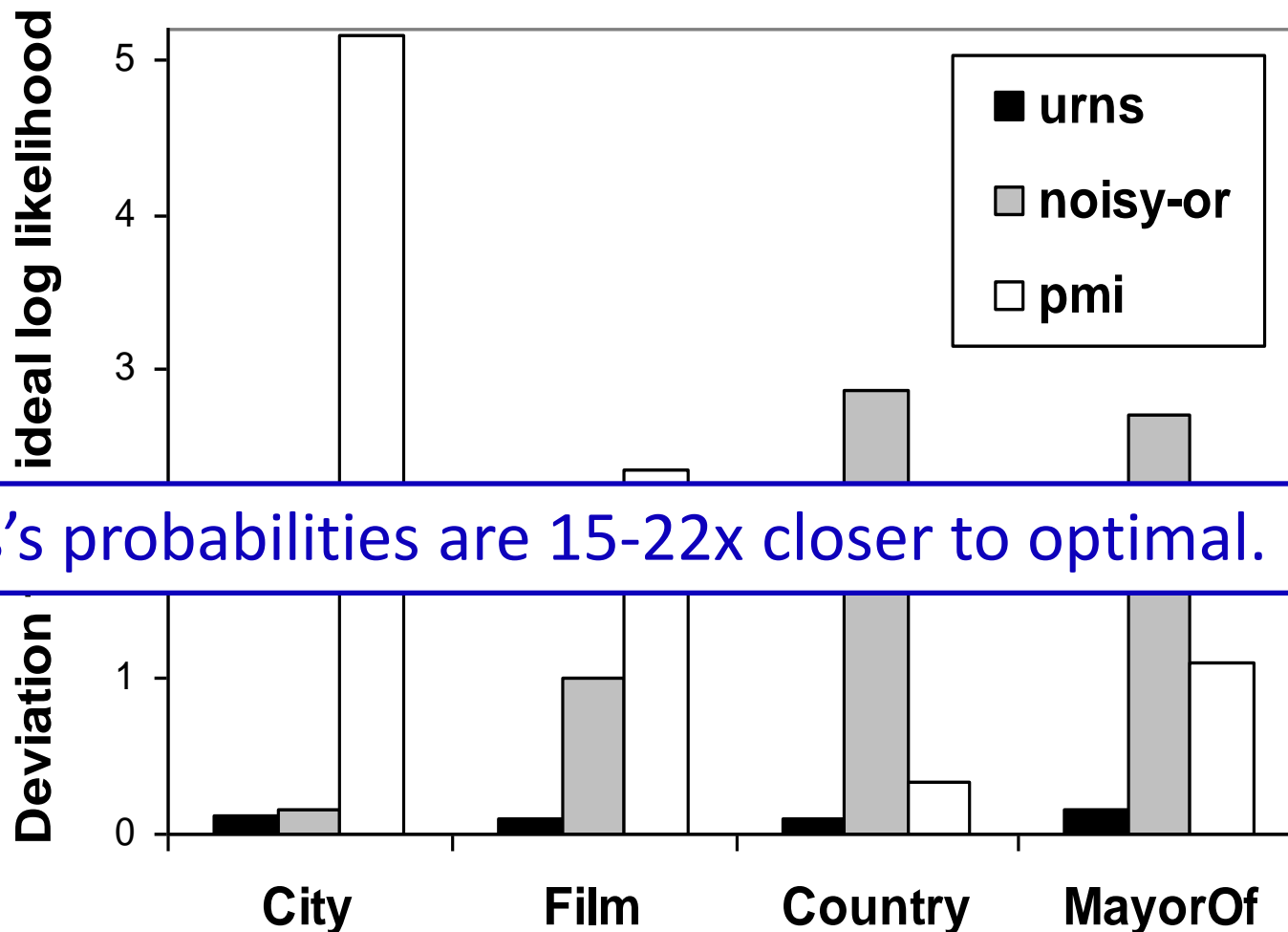
	k	P_{URNS}
United States	3899	0.9999...
China	1999	0.9999...
...		
OilWatch Africa	1	0.03
Religion Paraguay	1	0.03
Chicken Mole	1	0.03
Republics of Kenya	1	0.03
Atlantic Ocean	1	0.03
New Zeland	1	0.03

$C = \text{City}$

$n \sim 50,000$

	k	P_{URNS}
New York	1488	0.9999...
Chicago	999	0.9999...
...		
El Estor	1	0.63
Nikki	1	0.63
Ragaz	1	0.63
Villegas	1	0.63
Cres	1	0.63
Northeastwards	1	0.63

Probability Accuracy



Sensitivity Analysis

- URNS assumes $num(E)$, p are constant
 - If we alter parameter choices substantially, URNS still outperforms noisy-or, PMI by at least 8x
- Most sensitive to p
 - $p \sim 0.85$ is relatively consistent across randomly selected classes from Wordnet
(solvents, devices, thinkers, relaxants, mushrooms, mechanisms, resorts, flies, tones, machines, ...)

Multiple Extraction Patterns

Phrase	Hits
"Omaha and other cities"	950
"Illinois and other cities"	24,400
"cities such as Omaha"	930
"cities such as Illinois"	6

- Multiple urns
 - Target label frequencies **correlated** across urns
 - Error label frequencies can be **uncorrelated**

Benefits from Multiple Urns

K	Precision at K	
	Single	Multiple
10	1.0	1.0
20	0.9875	1.0
50	0.925	0.955
100	0.8375	0.845
200	0.7075	0.71

Using multiple URNS reduces error by 29%.