

Challenges for Logic AI Systems

Northwestern EECS 348

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Logic as a Foundation for AI

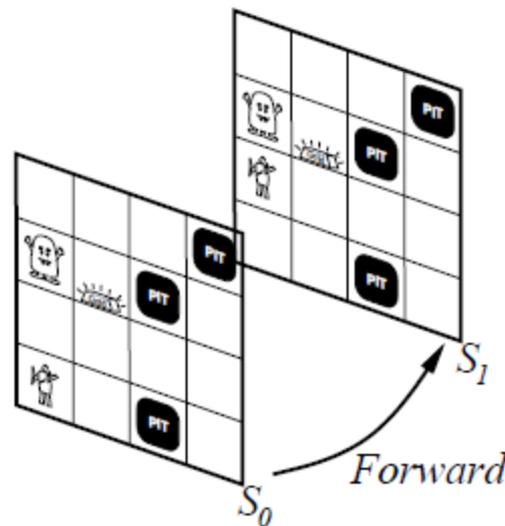
- Logic: extremely expressive, powerful
 - Theorem provers: useful in practice
- But:
 - Writing down needed knowledge is hard
 - So-called Frame, qualification, ramification problems
 - => Knowledge acquisition bottleneck
 - Logic systems are “incomplete”
 - Logic systems are brittle

The real world: Sensing and Acting

- Perception
 - three binary inputs [smell, breeze, glitter] at each time t
 - $\forall s, b, t$ $\text{Percept}([s, b, \text{Glitter}], t) \Rightarrow \text{AtGold}(t)$
- $\forall t$ $\text{AtGold}(t) \Rightarrow \text{Action}(\text{Grab}, t)$?
 - Infinite Loop!
- $\forall t$ $\text{AtGold}(t) \wedge \neg \text{Holding}(\text{Gold}, t) \Rightarrow$
 $\text{Action}(\text{Grab}, t)$

Keeping track of Change

- Facts hold in particular situations
 - E.g., $\text{Holding}(\text{Gold}, t)$ may be False, $\text{Holding}(\text{Gold}, t+8)$ true
- Agent must keep track of change



Frame Problem

- Effect axioms
 - $\forall t \text{ Standing}((i, j), t) \wedge \text{Facing}(\text{Up}, t) \wedge \text{Action}(\text{Forward}, t)$
 $\Rightarrow \text{Standing}((i, j+1), t + 1)$
- But...HaveArrow($t + 1$) ?
- “Frame” axioms keep track of what *doesn't* change
 - $\text{Action}(\text{Forward}, t) \Rightarrow (\text{HaveArrow}(t) \wedge \text{HaveArrow}(t + 1))$
 - Etc. etc. etc.

Representational Frame Problem

- Historically thought to be extremely tricky
- Can be solved by writing axioms about fluents rather than actions

Holding(Gold, t)

\Leftrightarrow

\neg Holding(Gold, t-1) and action at t-1 made it true

or

Holding(Gold, t-1) and no action at t-1 made it false

Qualification Problem

- Action's preconditions can be complex
- $\text{Action}(\text{Grab}, t) \Rightarrow \text{Holding}(t)$

....unless gold is slippery or nailed down or too heavy or our hands are full or...

Ramification Problem

- Actions can have many consequences
 - $\forall t$ Standing((i, j), t) \wedge Facing(Up, t) \wedge Action(Forward, t)
 \Rightarrow Standing((i,j+1), $t + 1$)
 - But also
 \Rightarrow In(Basketball, (i, j+1), $t + 1$)
 - if** I'm holding a basketball
 - Writing all these down -- difficult

Knowledge Acquisition

- Remember the Colonel West story
 - We converted text to logic
 - In practice...who does this?
- Qualification, Ramification problems tell us we need *tons* of “common-sense” knowledge
- The infamous “knowledge acquisition bottleneck”

Knowledge Acquisition: Options

- Type it all in yourself
 - Cyc
- Get Web citizens to type it all in
 - Open Mind
- Extract it from the Web
 - KnowItAll, TextRunner

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Gödel's Incompleteness Theorem

- Completeness Theorem: All valid statements have proofs in FOL
- Incompleteness Theorem: For any FOL KB enhanced to allow mathematical induction, there are true statements that *can't* be proved.

Gödel's Theorem: Sketch (1)

- Idea:

This statement is false.

- More specifically:

This statement has no proof.

Gödel's Theorem: Sketch (2)

- Assign numbers to sentences, proofs
 - E.g. by sorting by length, then alphabetically
- Consider the sentence $\alpha(j, A)$
 - For all numbers i , statement $\#i$ is not a proof for statement $\#j$ from the axioms A
- Let σ be the sentence $\alpha(\#\sigma, A)$
 - σ false? But it has a proof!
 - σ true? It's unprovable!

Gödel's Theorem: Ramifications

- Argument: Computers are limited by Gödel's theorem, whereas humans aren't.
- Thus, AI is doomed

Three counter-arguments

- Gödel's theorem applies to math induction systems, e.g. Turing Machines
 - Computers aren't *really* Turing machines
- “Steve cannot say this sentence is true.”
 - But Steve might be able to do other cool stuff
- Are humans really immune to the theorem?

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Brittleness of Logic Systems

- Consider a KB with just one contradiction
- That KB entails everything
- This is a problem because much of the world is uncertain
 - Perception, action, incomplete information, controversies, etc.

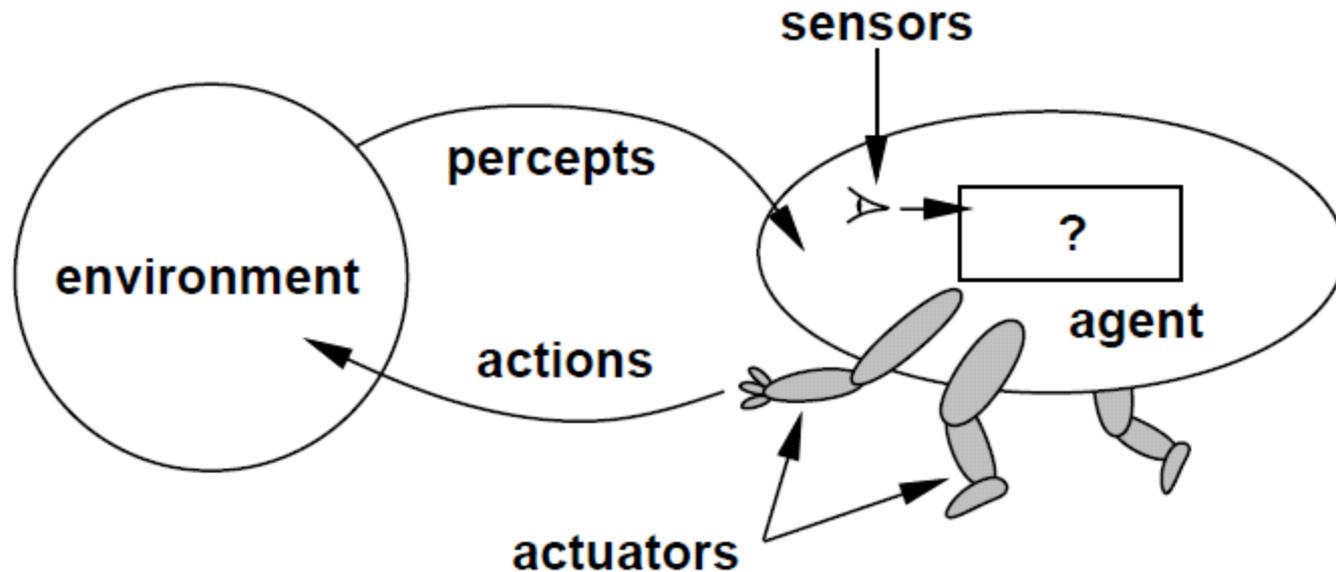
Toward “Modern” AI

- Limitations:
 - Knowledge Acquisition Bottleneck, Brittleness
- “Modern” directions:
 - Situatedness, embodiment
 - Probability
 - Learning from data

Alternatives: Focus on Behavior

- Argument: we can't even build systems that do what ants do
- In the timeline of evolution, simple cells->ants took much longer than ants->humans
- Let's start by building ants
 - Environment, body can make tasks **easier**
 - Incrementally solve **real** problems end-to-end

Intelligent Agents



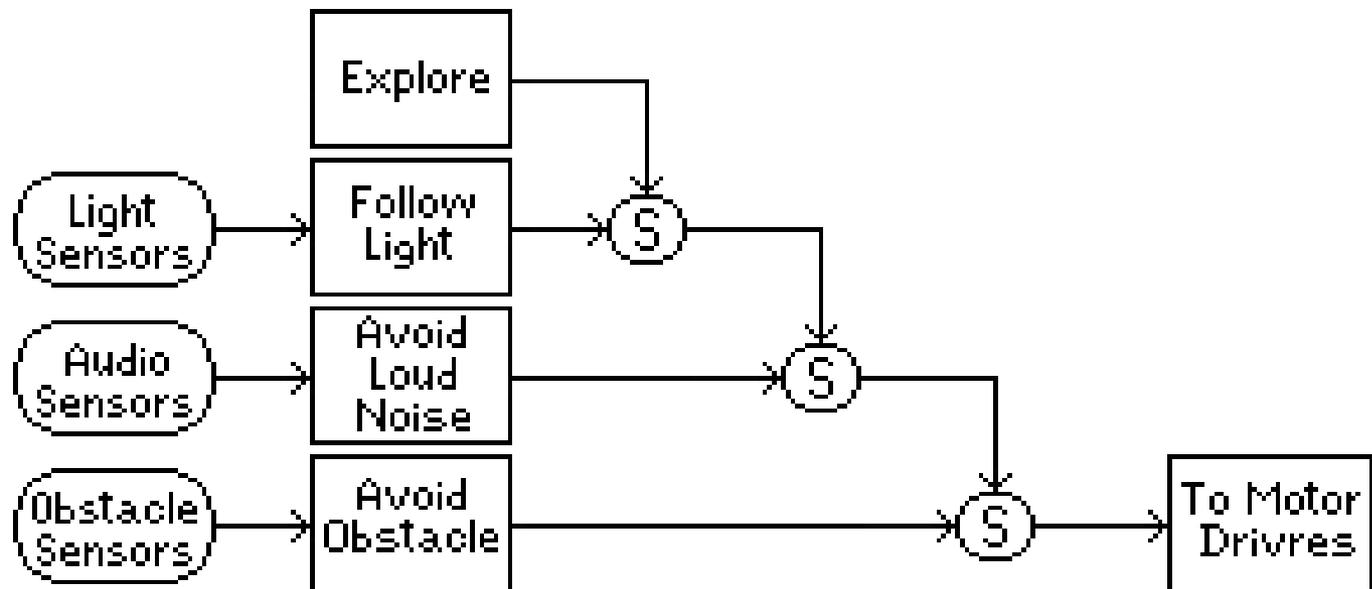
- Sensory/motor aspect
 - more **important**, more **coupled**, more **integrated** with rest of intelligence than originally thought

Behavior-based robots as a foundation for AI

- Common-sense knowledge arises from our interaction in the world
- Thus, the road to AI is paved with real-world interaction
 - We must build robots
- Another possibility: softbots

Subsumption Architecture

- Behavior-based robotics



Other “modern” trends

- Biological inspiration, e.g.:
 - Neural networks
 - Hexapod robots drawing on insect nervous systems followed subsumption architecture
- Probability theory
 - Handles uncertainty, overcomes brittleness
- Data

Learning from Data

- Quantities of data are exploding -- let's learn from it
- “Machine learning”